ERRATA FOR REAL AND COMPLEX ANALYSIS, BY C. APELIAN AND S. SURACE

(1) (p. 4) The Dedekind Completeness Property, sixth line down. Change "(viii)" to "h)."
(2) (p. 39, Exercise 35d) The complex polarization identity should read $\langle z, w\rangle = \frac{1}{4}\left(|z+w|^2 - |z-w|^2\right) + \frac{i}{4}\left(|z+iw|^2 - |z-iw|^2\right)$.
(3) (p. 65, proof of Theorem 4.4) In the sentence, "Therefore, $b \equiv \inf B$ exists, and $a_n \leq t$ for all n," t should be b.
(4) (p. 117, Exercise 3.47) Instead of the phrase "and the same conclusion still holds," the exercise should read "all but the conclusion that $\sum x_j \leq \sum y_j$ holds."
(5) (p. 129, Exercise 18) Replace "(Yes. Find a quick proof.)" with "(No. Find a simple counterexample.)"
(6) (p. 132, Exercise 49) Layout error. The exercise reads:

Exercise. *Suppose* $0 < x_1 < y_1$, *and that* $x_{n+1} = \sqrt{x_n y_n}$ *and* $y_{n+1} = \frac{1}{2}(x_n + y_n)$ *for* $n \in \mathbb{N}$.
a) Show that $0 < x_n < y_n$ *for all* n. *b) Show that* $x_n < x_{n+1}$ *for all* n.
c) Show that $y_{n+1} < y_n$ *for all* n. *d) Show that* $\lim x_n = \lim y_n = L$.

(7) (p. 186, Example 1.12) "a previous exercise" should read "the following exercise"
(8) (p. 190, Exercise 5.42) $f(\overline{A}) \supset \overline{f(A)}$ should read $f(\overline{A}) \supsetneq \overline{f(A)}$
(9) (p. 358, Exercise 7.24) The definition of $f(\theta)$ should be $\sin\theta - \frac{2\theta}{\pi}$.
(10) (p. 362, Exercise 7.30) This is a repeat of the earlier Exercise 7.24.
(11) (p. 406, Exercise 8.33) "Prove the above theorem" should read 'Prove the above proposition."
(12) (p. 439, Exercise 8.63) This should say that "if $u : D^2 \to \mathbb{R}$ is harmonic, each point $x \in D^2$ has a neighborhood N_x on which $u = \mathrm{Re}(f)$ for some differentiable complex function f on N_x."
(13) (p.465, Exercise 9.11) This should read "Part a)," not "Part 1."
(14) (p 465, proof of Theorem 1.13) In the sentence beginning "This implies that," in the sum $b_j = -\frac{1}{a_0}\sum_{k=0}^{j} a_k b_{j-k}$, the indexing should start at $k = 1$.

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